**Problem statement** Some antiderivatives can be computed using "rationalizing substitutions" to change the integrals into integrals of rational functions which then can be computed using partial fractions. Here are some examples.

- a)  $\int \frac{1}{x+3\sqrt{x+2}} dx$  (Try  $t = \sqrt{x}$ .)
- b)  $\int \frac{e^x + 1}{e^{2x} + 1} dx$  (Try  $t = e^x$ .)
- c)  $\int \frac{\cos\theta}{1-(\sin\theta)^2} d\theta$  (Try  $t = \sin\theta^*$ .)

<sup>\*</sup> You've just integrated sec. Was the result  $\ln(\sec + \tan)$ ?